Alain Coc CSNSM

Primordial Nucleosynthesis

(Centre de Sciences Nucléaires et de Sciences de la Matière, Orsay)

- □ The expansion of the Universe and the CMB
- Primordial abundances deduced from observations
- □ Thermal evolution and Standard Big Bang Nucleosynthesis
- □ The lithium × deuterium problem
- □ Improved ⁴He predictions
- □ A new publicly available BBN code

The three observational evidences for the Big Bang Model

1. The expansion of the Universe

Galaxies move away from each other according to Hubble's law: $V = H_0 \times D$ with $H_0 \approx 70$ km/s/Mpc, the Hubble parameter (or "constant"). More precisely distances $\propto a(t)$, the cosmological scale factor

2. The Cosmic Microwave Background radiation (CMB)

A black body radiation at 2.7 K corresponding to the redshifted spectrum emitted when the universe became transparent

3. Primordial nucleosynthesis

Reproduces the "light-elements" (⁴He, ²H or D, ³He and ⁷Li) primordial abundances over a range of nine orders of magnitudes.

Le tableau de Mendeleïev



Atom

Constituant fondamental de la matière formé par un noy (au centre), composé de proton et de neutrons, autour duquel se répartissent des électrons en différents niveaux d'ênergies appelés couches électroniques (ellipses)

Les atomes stables connus ont jusqu'à 7 couches électroniques (correspondant aux 7 lignes du tableau) dont les électrons occupent au fur et à mesure des orbitales électroniques (il existe jusqu'à 44 types de ces orbitales pouvant contenir des souscouches électroniques : s(1), p(3), d(5) et f (7)).

Élément chimique

Ensemble des atorres caractérisés par un nombre défini de protons dans leur noyau. Ces atornes ont différentes formes possibles : les isotopes (même nombre de protons et d'électrons mais nombre différent de neutrons) Numéro atornique : nombre de protons

Symbole atomique : représentation universelle de l'élément

Périodes (I à VII)

Classement des éléments selon leur configuration électronique (pour prévoir l'évolution de leurs propriétés) : nombre d'orbitales occupées par des électrons. Les éléments de la ligne I ont 1 couche accupée, ceux de la ligne II en ont 2 etc.

Groupes (1 à 18)

Organisation des éléments selon leurs propriétés communes, comme la réactivité (capacité de l'élément à céder ou recevoir des électrons)

Colonnes 1, 2 et 13 à 17 : éléments remplissant progressivement les orbitales < s > etet ayant le même nombre d'électrons sur leur couche électronque : col 1 = 1 électron, col 13 = 3 électrons, col 14 = 4, etc.

Colonnes 3 à 12 : éléments remplissant les orbitales « d » et « f ».

Colonne 18 : éléments dont la couche électronique externe est saturée.

Le tableau de Mendeleïev



Big Bang Nucleosynthesis probe of new physics (in the 70's)

- □ First determination of the baryonic density of the Universe, (1-3)×10⁻³¹g/cm³ [Wagoner 1973], need for baryonic dark matter
 - Subscription Baryonic density $\rho_B \approx 4.5 \times 10^{-31} \text{g/cm}^3$ from the anisotropies in the Cosmic Microwave Background radiation,
- □ First determination of the number of light neutrino families, $N_v \le 3$ [Yang, Schramm, Steigman, Rood 1979]

Number of neutrino families N_v = 2.984±0.008 [LEP experiments]

□ New physics of the 20's ?

Beyond the Standard Models(s) ?

See review by Iocco, Mangano, Miele, Pisanti & Serpico 2009



Variation of constants



Anisotropies of the Cosmic Microwave Background



At t≈0.38 My, and T≈3000 K, "recombination" of e- and p in neutral H-atoms: the Universe becomes transparent

Planck [*Ade*+ 2016]

 $T = 3000 \text{ K} \rightarrow 2.7 \text{ K}$ due to redshift

Anisotropies of the CMB

Spatial fluctuation spectrum of CMB generated by acoustic oscillations

- Pressure : photons
- Inertia : baryons

→Geometry ($\Omega_T \approx 1$), 1st peak

 $\succ \Omega_{\rm b} \ (2^{\rm nd}/1^{\rm st} \ {\rm peaks})$

 $(\Omega \equiv \rho / \rho_{\text{critical}} \Omega = 1 \Rightarrow \text{flat space})$



Density components of the Universe

The present day (₀) critical density, $\rho_{0,C}$, that corresponding to a flat universe (*k*=0), without cosmological constant (Λ =0):

$$\rho_{0,C} \equiv \frac{3H_0^2}{8\pi G} \qquad \qquad \Omega \equiv \frac{\rho}{\rho_{0,C}}$$

 $\rho_{0,C} = 1.87847 \ h^2 \times 10^{-29} \ \text{g/cm}^3 \text{ or } 2.9 \ h^2 \times 10^{11} \ \text{M}_{\odot}/\text{Mpc}^3$

 $H_0 =$ Hubble "constant" ($h = H_0/100 \text{ km/s/Mpc} \ h \approx 0.6727 \pm 0.0066$)

Some Ω values [Ade+ 2016 (Planck)]				
Radiation (CMB)	Ω_{R}	5 10 ⁻⁵		
Visible matter	Ω_{L}	≈0.003		
Baryons	Ω_{b}	0.049		
Dark Matter	Ω_{c}	0.264		
Vacuum	Ω_{Λ}	0.688		
Total	Ω_{T}	≈1.0		

Ω_bh²=0.02225±0.00016 (0.7% precision) [Ade+ 2016 (Planck)]

Determination of primordial abundances

Primordial abundances :

- 1) Observe a set of primitive objects born when the Universe was young
 - ⁴He in H II (ionized H) regions of blue compact galaxies
 - ³He in H II regions of *our* Galaxy
 - **D** in remote cosmological clouds (i.e. at high redshift) on the line of sight of quasars
 - ⁷Li at the surface of low metallicity* stars in the halo of our Galaxy
- 2) Extrapolate to zero metallicity* : Fe/H, O/H, Si/H,.... $\rightarrow 0$

*In astrophysics: "metals" = everything beyond helium Notation : $[X/H] = \log(X/H) - \log(X_{\odot}/H_{\odot}), X=Fe, O,...$

⁴He observations in blue compact galaxies

Observations: ⁴He from a sample of 86 H II regions in 77 blue compact galaxies *[Izotov, Thuan & Stasinska 2007]* with additional infrared line *[Izotov, Thuan & Guseva 2014]*



$Y_p = {}^4He$ mass fraction

Analysis : with new atomic and collisional emission data, He I emissivity and IR line included $Y_p=0.2449\pm0.0040$ (⁴He mass fraction) [Aver, Olive, Porter & Skillman 2015] (1.6% precision)

D/H observations in a cosmological cloud



Cloud at redshift of z = 3.6on the line of sight of quasar QSO 1937-1009

Observations :

•D/H ratio at high redshift from the depth/width of absorption lines



D/H observations in cosmological clouds



Burles & Tytler 1998; O'Meara+ 2001, 2006; Pettini+ 2001, 2008, 2012; Kirkman+ 2003, Crighton+ 2004; Srianand+ 2010; Cooke+ 2011; Fumagalli+ 2011; Cooke+ 2016; 2018



Big Bang Nucleosynthesis calculations



Needs:

- Reaction rates
 - Density $\rho_{b}(t)$, ions and photons T(t)and neutrino $T_{v}(t)$ temperatures as a function of time

Dynamics of the expanding Universe (I)

Einstein equation & Friedmann-Lemaître-Robertson-Walker metrics

$$ds^{2} = g_{\alpha\beta}dx^{\alpha}dx^{\beta} = dt^{2} - a^{2}(t)\left(\frac{dr^{2}}{1 - kr^{2}} + r^{2}(d\theta^{2} + \sin^{2}\theta d\phi^{2})\right) \quad a(t): \text{ scale factor}$$

Friedmann equation :

$$\left(\frac{\dot{a}}{a}\right)^{2} \equiv H^{2} = \frac{8\pi G}{3} \left(\rho_{R} + \rho_{M} + \rho_{\Lambda}\right) - \frac{k}{a^{2}}$$
Now.... $(a\equiv 1)$
EoS: $p = \text{pressure} \equiv w \times \rho \Rightarrow \rho \propto a^{-3(1+w)}$

$$w = \begin{cases} 0 \text{ (matter)} \Rightarrow a^{-3} \\ 1/3 \text{ (radiation)} \Rightarrow a^{-4} \\ -1 \text{ (}\Lambda, \text{ dark energy)} \Rightarrow a^{0} \\ \text{Curvature} \Rightarrow a^{-2} \end{cases}$$
Now.... $(a\equiv 1)$

$$\sum_{\substack{\text{Dark \\ \text{Energy} \\ 69\%$$

Dynamics of the expanding Universe (II)

Einstein equation & Friedmann-Lemaître-Robertson-Walker metrics

$$ds^{2} = g_{\alpha\beta}dx^{\alpha}dx^{\beta} = dt^{2} - a^{2}(t)\left(\frac{dr^{2}}{1 - kr^{2}} + r^{2}(d\theta^{2} + \sin^{2}\theta d\phi^{2})\right) \quad a(t): \text{ scale factor}$$

Friedmann equation :

$$\left(\frac{\dot{a}}{a}\right)^{2} \equiv H^{2} = \frac{8\pi G}{3} \left(\rho_{R} + \chi_{M} + \chi_{A}\right) - \frac{k}{a^{2}} \qquad \dots \text{ and then } (a \approx 10^{-8})$$

$$EoS: p = \text{ pressure} \equiv w \times \rho \Rightarrow \rho \propto a^{-3(1+w)}$$

$$w = \begin{cases} 0 \text{ (matter)} \Rightarrow a^{-3} \\ 1/3 \text{ (radiation)} \Rightarrow a^{-4} \\ -1 \text{ (A, dark energy)} \Rightarrow a^{0} \\ Curvature \Rightarrow a^{-2} \end{cases}$$

$$\operatorname{Matter} < 10^{4}$$

Dynamics of the expanding Universe (III)

Cosmological distances $\propto a \equiv (1+z)^{-1}$ (z = redshift)

Rate of expansion \propto $(radiation energy density)^{1/2}$

$$1 \frac{1}{a} \frac{\mathrm{d}a}{\mathrm{d}t} \propto \sqrt{\rho_{e\gamma\nu}^{rad}(T)} \propto \sqrt{g_*^{e\gamma\nu}(T)} T^2$$

"Radiation": γ , (e⁻), v_x and antiparticles

$$T_v = T$$
 for $T >> 1$ MeV

(2)
$$a^{3}T_{v}^{3} = Cste$$

(3) $a^{3}q_{*}^{e\gamma}(T)T^{3} = Cste$

16 v decoupling 14 Nucleosinthesis (< 0.9 GK) 12 10 **e**γν 8 **t** eγ Entropy 6 constant 4 3.36 2 2 0

T (MeV)

 $1+2+3 \Rightarrow \rho_{\rm h}(t) \propto \Omega_{\rm h} a^{-3}(t), T(t) \text{ and } T_{\rm v}(t)$



Nucleosynthesis (I)

Equilibrium $p \Leftrightarrow n$: $v_e + n \Leftrightarrow e^- + p$ $\overline{v_e} + p \Leftrightarrow e^+ + n$ $\frac{N_n}{N_p} = \exp\left[\frac{-Q_{np}}{kT}\right] \qquad Q_{np} = 1.29 \text{ MeV}$

Equilibrium as long as the reaction rate is faster than the expansion rate, hence breaks out when:

$$\Gamma_{n \leftrightarrow p} \sim G_F^2 T^5 \ll \frac{\dot{a}}{a} \propto \sqrt{g_*^{e_{\gamma \nu}}(T)} T^2$$

Decoupling and freezeout when $T \approx 3$ GK and $N_n/N_p \approx 1/6$

Nucleosynthesis (II)

Neutrons decay until *T* is low enough for :

 $n+p \rightarrow D+\gamma$

becomes faster then deuterium photodisintegration

$$D+\gamma \rightarrow n+p$$
 (Q = -2.2 MeV)

Then, t = 3 mn, $T \approx 10^9 \text{ K}$ and N_n has decrased to $N_n/N_p \approx 1/7$

Nucleosynthesis starts to produce essentially ⁴He together with traces of D, ³He, ⁷Li,

$$X(^{4}He) \approx 2X(n) \approx 2/(1+7)=0.25$$

The reactions of standard BBN

Origin of reaction rates (see Coc+ ApJ 2014 & Pitrou+ 2018):

Experimental:

Evaluation of experimental nuclear data [Descouvemont+ 2004; Angulo + 1999, Iliadis+ 2010; 2016; Gómez Iñesta+2017,...]

Theoretical:

- n⇔p : weak rates normalized to neutron lifetime [*Pitrou*+ 2018] (crucial for ⁴He, see later)
- > ${}^{1}H(n,\gamma){}^{2}H$: Two nucleons effective field theory [*Ando*+ 2006]
- ➤ Talys code [Koning+ 2005] for ≈270 "exotic" reactions

Main BBN reactions extending to CNO (out of ≈ 400)



Bayesian analyses of reaction rates for BBN *[Iliadis+ 2016; Gómez Iñesta+2017; de Souza+2019a,2019b]* including D(p, γ)³He, D(d,n)³He, D(d,p)³H, ³He(α , γ)⁷Be ³He(d,p)⁴He, ³H(d,n)⁴He, and ⁷Be(n,p)⁷Li *[Tan Hong Kiat+ in preparation]*



D/H sensitivity to reaction rates

$$\frac{\Delta(D/H)}{D/H} = -0.32 \times \frac{\Delta\langle\sigma v\rangle_{d(p,\gamma)^{3}He}}{\langle\sigma v\rangle_{d(p,\gamma)^{3}He}} - 0.54 \times \frac{\Delta\langle\sigma v\rangle_{d(d,n)^{3}He}}{\langle\sigma v\rangle_{d(d,n)^{3}He}} - 0.46 \times \frac{\Delta\langle\sigma v\rangle_{d(d,p)^{3}H}}{\langle\sigma v\rangle_{d(d,p)^{3}H}}$$

 $D(p,\gamma)^{3}$ He, $D(d,n)^{3}$ He and $D(d,p)^{3}$ H reaction rates need to be known at a few % level to match the 1.6% precision on observations!



 $^{2}\text{H}(\mathbf{p},\boldsymbol{\gamma})^{3}\text{He}$

$n \leftrightarrow p$ weak reaction rates

$$n \to p : n \to p + e^- + \overline{v}_e \quad n + e^+ \to p + \overline{v}_e \quad n + v_e \to p + e^-$$
$$p \to n : p + e^- + \overline{v}_e \to n \quad p + \overline{v}_e \to n + e^+ \quad p + e^- \to n + v_e$$

 $\lambda_{n \leftrightarrow p} \propto \sum \int (\text{phase space}) \times (\text{e distribution}) \times (v_e \text{ distribution}) dE + \text{``some small corrections''}$

$$\lambda_{n \to pev} = C \int_{1}^{q} \frac{\varepsilon (\varepsilon - q)^{2} (\varepsilon^{2} - 1)^{1/2} d\varepsilon}{\left[1 + \exp(-\varepsilon z)\right] \left\{1 + \exp[(\varepsilon - q)z_{v}]\right\}} \xrightarrow{\rightarrow} T \to 0 \qquad \frac{1}{\tau_{n}} = C \int_{1}^{q} \varepsilon (\varepsilon - q)^{2} (\varepsilon^{2} - 1)^{1/2} d\varepsilon$$

$$(q=Q_{np}/m_e, \epsilon=E_e/m_e, z=m_e/T_{\gamma}, z_{\nu}=m_e/T_{\nu})$$

> Experimental neutron lifetime?

 $\Delta Y_{\rm p}$ =+0.0002× $\Delta \tau_{\rm n}$ (s)

Calculation of the "small corrections"

"Small corrections" to the weak rates

- 1. radiative corrections ($\sim 1/137$)
- 2. finite nucleon mass corrections ($\sim T/m_N$),
- 3. finite temperature radiative corrections
- 4. weak-magnetism
- 5. QED plasma effects
- 6. incomplete neutrino decoupling

[Dicus+1982; Seckel 1993; Dolgov+1997; Lopez+1997; Lopez & Turner 1999; Brown & Sawyer 2001; Mangano+2005; Pisanti+2008; Grohs+2016; and many more]

All included and calculated in a self consistent way, allowing to take into account the correlations between them, and verifying that all satisfy detailed balance [*Pitrou*+ 2018]

$$\dot{n}_n + 3Hn_n = -n_n\Gamma_{n\to p} + n_p\Gamma_{p\to n} \\ \dot{n}_p + 3Hn_p = -n_p\Gamma_{p\to n} + n_n\Gamma_{n\to p} = 0 \qquad \qquad \frac{\Gamma_{p\to n}}{\Gamma_{n\to p}} = e^{-(m_n - m_p)/T}$$

Radiative corrections



Finite temperature radiative corrections

















(b) Interaction with electrons or positrons.

Fig. 6. *Left* : photon self-energy. *Right* : photon mass shift from interaction with electron/positron plasma.

- Modify $\rho_{\rm R}$ and $p \rightarrow$ entropy
 - expansion a(t)
 - neutrino temperature
 - e-statistics



Incomplete neutrino decoupling

Complete neutrino decoupling:

- $T \approx 2/3$ MeV (20/30 GK), $v_e/v_{\mu,\tau}$ decouple from e⁺e⁻ γ plasma [Dolgov 2002]
- $T \approx 0.5$ MeV e⁺e⁻ annihilate and reheat the photon and ions, but not the neutrinos
- $T \approx 0.28 \text{ MeV} (3.3 \text{ GK}) \text{ n} \leftrightarrow \text{p freezout}$
- $T \approx 0.1$ MeV (0.9 GK) nucleosynthesis



T (K)

Total corrections



Comparison between observed and calculated abundances

Limits (1-σ) obtained by Monte-Carlo fusing *Descouvemont*+ 2004; Ando+ 2006, Iliadis+; 2016; Gómez Iñesta+ 2017;..... reaction rate uncertainties.

Concordance (?) BBN, spectroscopy and CMB

- $\Omega_{\rm B}h^2$ [Planck: Ade+ 2016]
- ⁴He [Aver+ 2015]
- **D** [Cooke+ 2018]
- ³He [Bania et al. (2002)]

• ⁷Li *[Sbordone+ 2010]* : difference of a factor of ≈3 between calculated (BBN +CMB) and observed (Spite plateau) primordial lithium



Comparison between BBN codes

	BBN calculations				
	⁴ He	D/H	³ He/H	⁷ Li/H	
	$\times 10^{0}$	×10 ⁻⁵	×10 ⁻⁵	×10 ⁻¹⁰	
Observations	0.2449 ± 0.0040	2.527±0.030	<(0.9-1.3)	1.58±0.31	
EZ_BBN (Coc+2015)	0.2484±0.0002	2.45±0.05	1.07±0.03	5.61±0.26	
PRIMAT (Pitrou+2018)	0.24709 ± 0.00017	2.459±0.036	1.074±0.026	5.623±0.247	

Except for ⁴He, very good agreement between (Fortran77) *EZ_BBN* and (Mathematica) *PRIMAT* results

Comparison between BBN codes

	BBN calculations				
	⁴ He	D/H	³ He/H	⁷ Li/H	
	$\times 10^{0}$	×10 ⁻⁵	×10 ⁻⁵	×10 ⁻¹⁰	
Observations	0.2449±0.0040	2.527±0.030	<(0.9-1.3)	1.58±0.31	
EZ_BBN (Coc+2015)	0.2484 ± 0.0002	2.45±0.05	$1.07{\pm}0.03$	5.61±0.26	
PRIMAT (Pitrou+2018)	0.24709±0.00017	2.459±0.036	1.074±0.026	5.623±0.247	
Cyburt+2016	0.24709 ± 0.00025	2.58±0.13	1.0039 ± 0.0090	4.68±0.67	

Good agreement between Paris/Orsay and US (Cyburt) results

Comparison between BBN codes

	BBN calculations				
	⁴ He	D/H	³ He/H	⁷ Li/H	
	$\times 10^{0}$	×10 ⁻⁵	×10 ⁻⁵	×10 ⁻¹⁰	
Observations	0.2449±0.0040	2.527±0.030	<(0.9-1.3)	1.58±0.31	
EZ_BBN (Coc+2015)	0.2484 ± 0.0002	2.45±0.05	1.07 ± 0.03	5.61±0.26	
PRIMAT (Pitrou+2018)	0.24709±0.00017	2.459±0.036	1.074±0.026	5.623±0.247	
Cyburt+2016	0.24709±0.00025	2.58±0.13	1.0039±0.0090	4.68±0.67	
Yeh priv. comm	0.2472	2.449	1.076	5.633	

Even better if one uses the same reaction rates! (*Tsung-Han*) Yeh priv. comm = Cyburt+ 2016 code with 5 identical rates : $D(p,\gamma)^{3}He$, $D(d,n)^{3}He$, $D(d,p)^{3}H$, $^{7}Be(n,\alpha)^{4}He$ & $^{3}He(\alpha,\gamma)^{7}Be$

- ➤ The "Lithium problem": difference of a factor of ≈3 between calculated and observed primordial lithium
- Precision needed for deuterium predictions (1% on reaction rates!)

Dominant corrections for Y_p and D/H

TABLE V Final abundances depending on the corrections included. ID is incomplete decoupling of neutrinos. FM is finite nucleon mass effect without weak-magnetism, WM is weak-magnetism, and FM+WM are both effects. RC are radiative corrections. ThRC are finite temperature radiative corrections without bremsstrahlung corrections, and BS are bremsstrahlung corrections. QED-MS is the QED electron mass shift effect considered alone when replaced directly in distribution functions (see discussion in §V.C.3), and QED-Pl are the QED effects on the plasma thermodynamics (§II.E).

Corrections	$Y_{\rm P}$	$\delta Y_{\rm P} \times 10^4$	$\delta Y_{ m P}/Y_{ m P}(\%)$	$\rm D/H\times 10^5$	Δ (D/H) (%)	$^{3}\mathrm{He}/\mathrm{H}\times10^{5}$	$^{7}\mathrm{Li/H}\times10^{10}$
Born	0.24262	0	0	2.423	0	1.069	5.635
Born+ID	0.24274	1.2	0.05	2.432	0.37	1.070	5.613
Born+FM	0.24374	11.2	0.46	2.430	0.25	1.070	5.651
Born+FM+WM	0.24390	12.8	0.53	2.430	0.29	1.070	5.654
RCa [Eq. (B30), Non. Rel. Fermi]	0.24572	31.0	1.27	2.440	0.70	1.071	5.681
RCb [Eq. (B35), Non. Rel. Fermi]	0.24575	31.3	1.29	2.440	0.70	1.071	5.682
RC [Eq. (B35), Rel. Fermi]	0.24577	31.5	1.30	2.440	0.70	1.071	5.682
RC+QED-MS	0.24591	32.9	1.36	2.441	0.74	1.071	5.684
RC+QED-Pl	0.24577	31.5	1.30	2.443	0.82	1.072	5.674
RC+ID	0.24588	32.6	1.34	2.449	1.07	1.073	5.660
RC+ID+QED-Pl	0.24588	32.6	1.34	2.452	1.19	1.073	5.652
RC+FM+WM	0.24705	44.3	1.82	2.447	0.99	1.072	5.701
RC+FM+WM+QED-MS	0.24718	45.6	1.87	2.448	1.03	1.073	5.701
RC+FM+WM+QED-Pl	0.24704	44.2	1.81	2.450	1.11	1.073	5.693
RC+FM+WM+ID	0.24710	44.8	1.84	2.456	1.36	1.074	5.678
m RC+FM+WM+ThRC~(No~BS)	0.24736	47.4	1.95	2.449	1.07	1.073	5.706
RC+FM+WM+ThRC+BS	0.24705	44.3	1.82	2.447	0.99	1.072	5.701
$\fbox{RC+FM+WM+ThRC+BS+ID+QED-Pl}$	0.24709	44.7	1.84	2.459	1.49	1.074	5.670

Small corrections \approx observational uncertainties!

Nuclear solution to the Li problem ?



At $\eta_{\rm CMB}$ ⁷Li from ⁷Be post BBN decay

Tentatives nuclear solutions: ⁷Be destruction by:

1. Supplementary reactions e.g. $^{7}Be(d,p)^{8}Be^* \rightarrow 2\alpha$

Nuclear solution to the Li problem ?



At η_{CMB} ⁷Li from ⁷Be post BBN decay

Tentatives nuclear solutions: ⁷Be destruction by:

1. Supplementary reactions e.g. $^{7}Be(d,p)^{8}Be^{*}\rightarrow 2\alpha$

Ruled out following extensive experimental and theoretical searches [Coc+ 2004; 2011, Angulo+ 2005, Kirsebom & Davids 2011,..... Rijal+ 2019].

Nuclear solution to the Li problem ?



At η_{CMB} ⁷Li from ⁷Be post BBN decay

Tentatives nuclear solutions: ⁷Be destruction by:

- 1. Supplementary reactions e.g. $^{7}Be(d,p)^{\circ}Be^{*} \rightarrow 2\alpha$
- 2. Increased neutron destruction efficiency by ${}^{7}\text{Be}(n,p){}^{7}\text{Li}(p,\alpha){}^{4}\text{He}$ from exotic neutron sources



⁷Be (⁷Li) destruction

- By most abundant projectiles ⁷Be(p,γ)⁸B hindered by photodissociation (Q=1.375 MeV) and ⁷Be(α,γ)¹¹C by Coulomb
- By less abundant projectiles but higher cross sections of overlooked reactions?
- No much activity below 0.5 GK (low charged particle rates an low neutron abundance).



T (GK)

The limits to ⁷Li+⁷Be destruction by extra neutrons





Li stellar depletion ?

□ In situ destruction (atomic diffusion + turbulence interplay)

- Some amount of depletion, a factor of 1.5 to 2, is unavoidable because of atomic diffusion [Michaud+ 1984]
- Uniformity restored by an additional mixing process [Richard+ 2005; Korn+ 2006]



Other contributions to the periodic table



➢ Origin of ⁶Li, Be and B

➤ Seeds for the first stars CNO-cycle/pp-chain (at CNO/H ≈ 10⁻¹³)

Number of atoms	[Coc et al. 2012]	[Coc et al. 2014]
⁶ Li/H (×10 ⁻¹⁴)	1.23	0.90-1.77
⁹ Be/H (×10 ⁻¹⁹)	9.60	5.10-26.3
¹¹ B/H (×10 ⁻¹⁶)	3.05	1.85-3.56
CNO/H (×10 ⁻¹⁶)	7.43	4.94-28.5



Main BBN collaborators

Elisabeth Vangioni, Cyril Pitrou, Jean-Philippe Uzan (Institut d'Astrophysique de Paris) Keith Olive, Maxim Pospelov (University of Minnesota) Pierre Descouvemont (Université Libre de Bruxelles) Faïrouz Hammache (Institut de Physique Nucléaire d'Orsay)

Conclusions

- □ Standard BBN is now in the (1%) precision era for D and ${}^{4}\text{He}$
 - Precision deuterium observations (plateau ?) call for
 - ► even better precision on $D(p,\gamma)^{3}$ He, $D(d,n)^{3}$ He and $D(d,p)^{3}$ H cross sections
 - ➢ Corrections to the weak rates and improved neutron lifetime for ⁴He
- However the lithium problem is worse than ever!
 - Disagreement (factor of 3) with Li observations
 - Nuclear : excluded by experiments
 - Cosmology or particle physics solutions overproduce deuterium
 - Stellar depletion, seemingly unavoidable, needs to be uniform
- Convergence of BBN codes when same nuclear reaction rates are used
 - Mathematica versus (independent) Fortran versions
 - Mathematica code with >400 reaction network publicly available at http://www2.iap.fr/users/pitrou/primat.htm